

More on Coincidence Summing

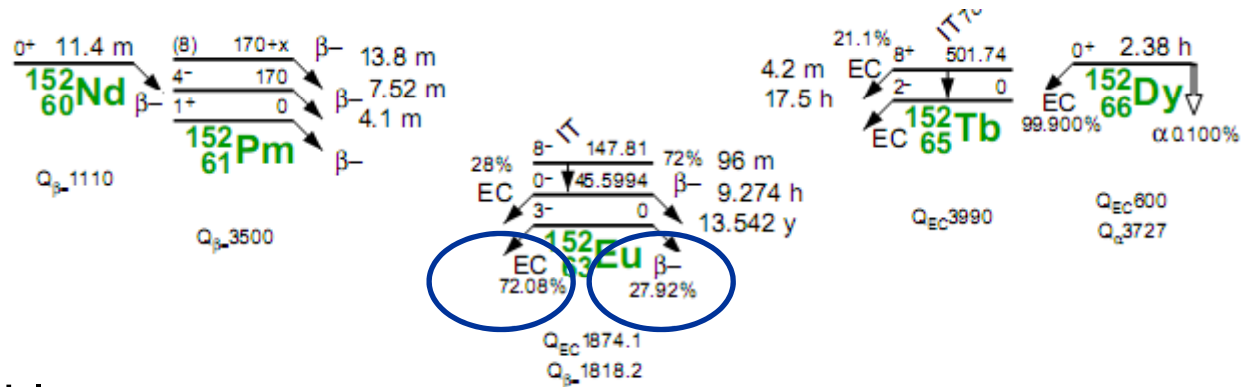
- The task is to calculate an unknown activity A .
- Measure the unknown and find the **net** area under the full-energy peak in the gamma spectrum. This net area should also be corrected for **dead time**. The count rate N is then used to calculate the activity A :

$$A = \frac{N}{I_{\gamma}\epsilon_{\gamma}} = \frac{N}{p_{\gamma}\epsilon_{\gamma}}$$

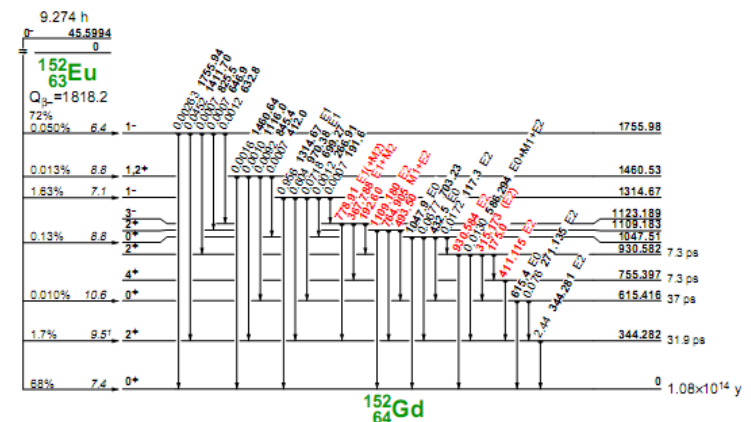
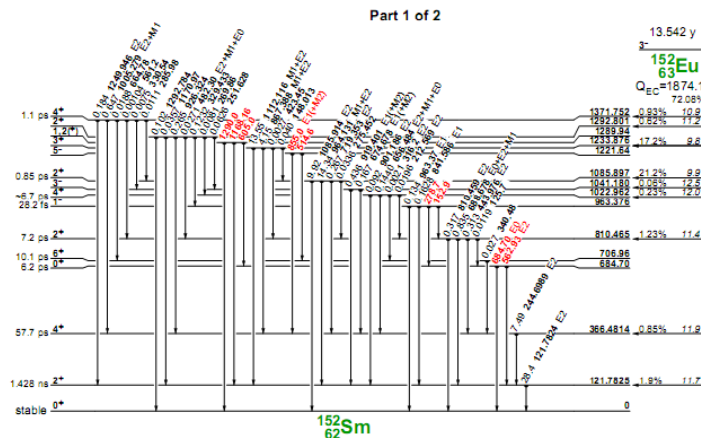
- ϵ_{γ} (or N) should be corrected for:
 - Self absorption.
 - Extended geometry.
 - **True coincidence summing.**

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- **True** coincidences (not **random**).



- Cascade summing.
- Sum with x-rays.
- Sum with bremsstrahlung.
- Level lifetimes \ll resolving time.
- Possibility for simultaneous hits.



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Hit probabilities:

at 0 mm

One gamma => 42%

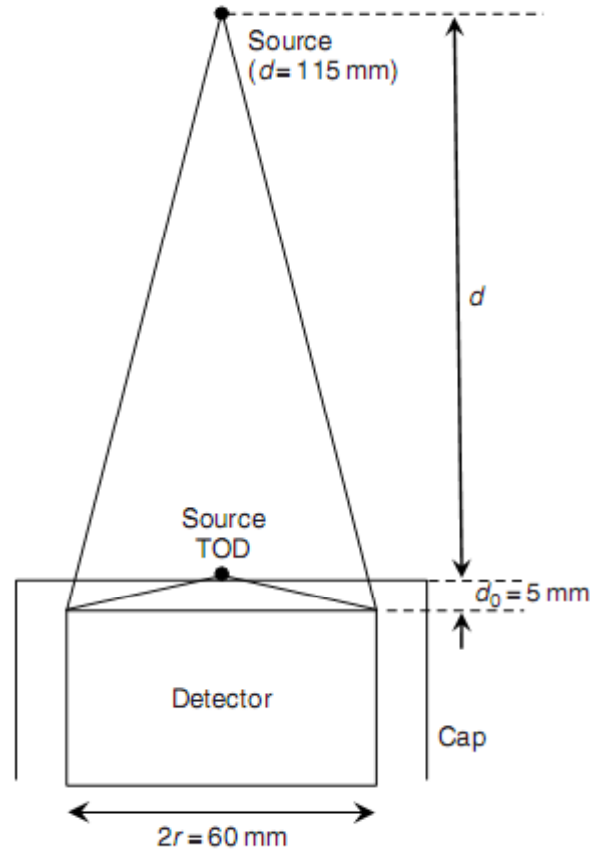
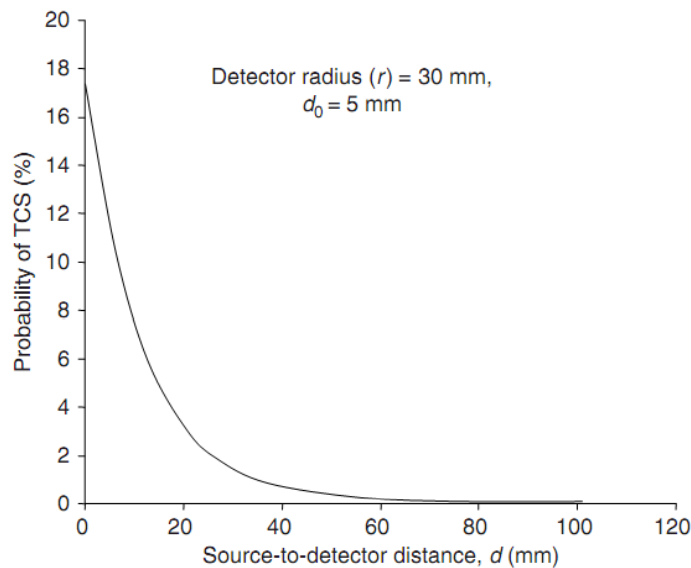
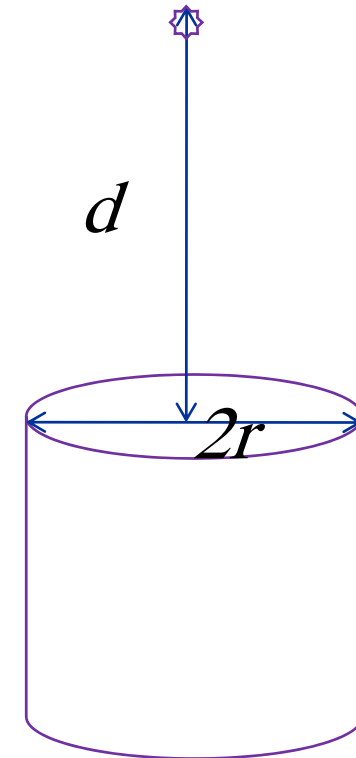
Two gammas => 17%

at 115 mm

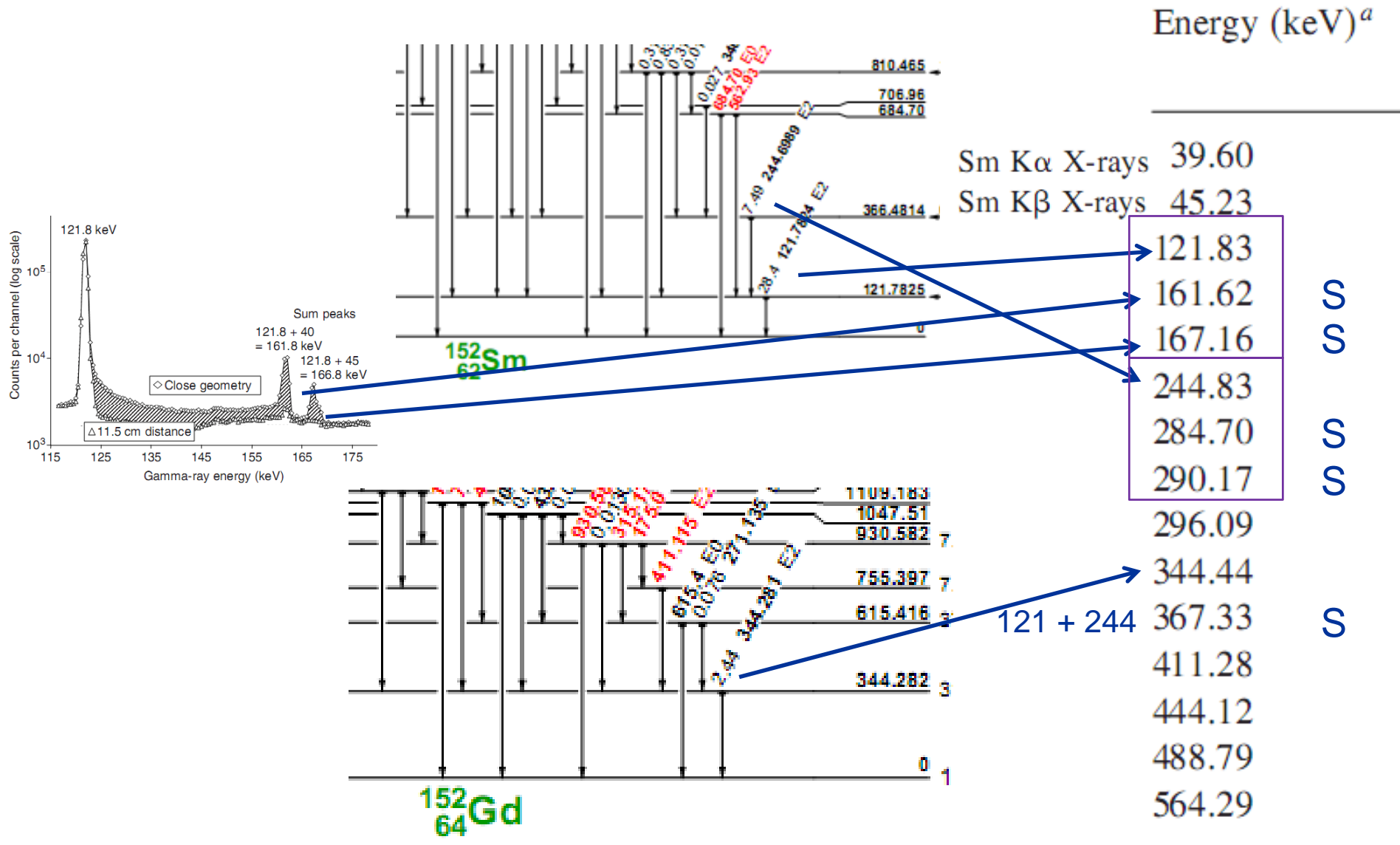
One gamma => 1.5%

Two gammas => 0.02%

$$\Omega \approx 2\pi \left(1 - \frac{d}{\sqrt{d^2 + r^2}} \right)$$

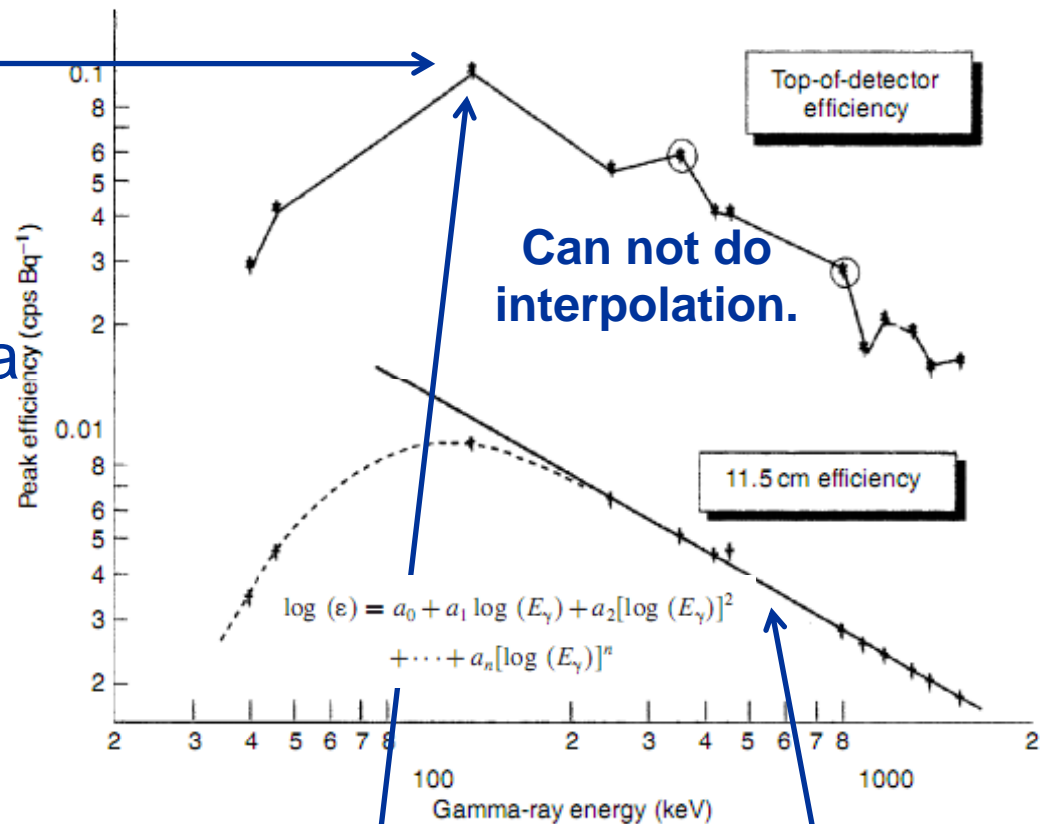
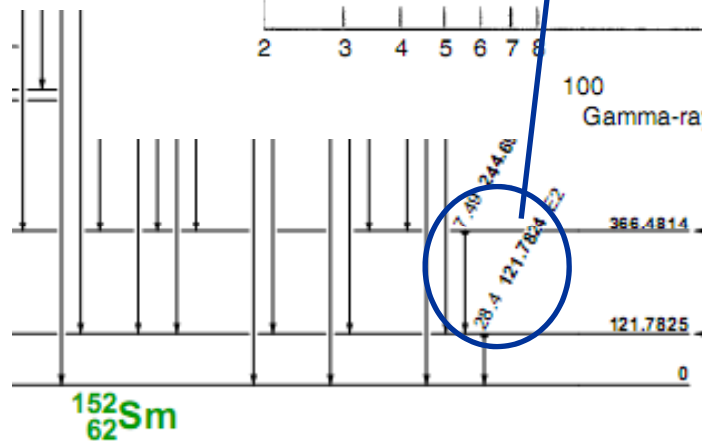
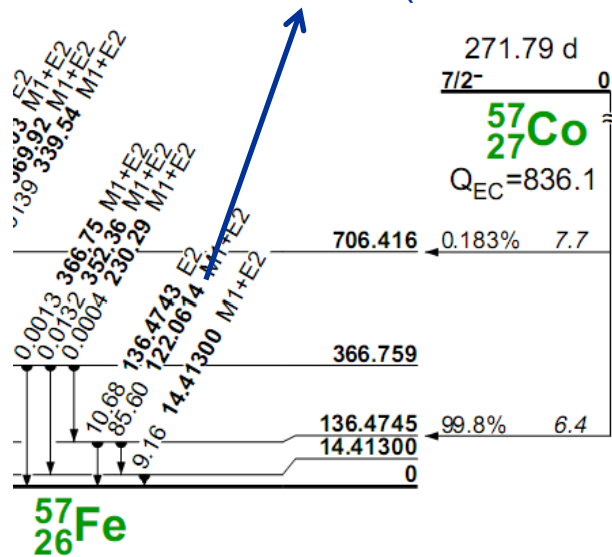


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- Bad calibration point.
- Can only be used to measure ^{152}Eu .
- Does not represent efficiency at this energy for a “monoenergetic source”.
- Can not be used to measure ^{57}Co (same energy).



$$\log(\epsilon) = a_0 + a_1 \log(E_\gamma) + a_2 [\log(E_\gamma)]^2 + \dots + a_n [\log(E_\gamma)]^n$$

- Negligible summing.
- Same distance but larger detector?